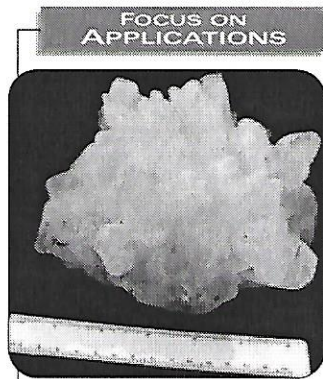
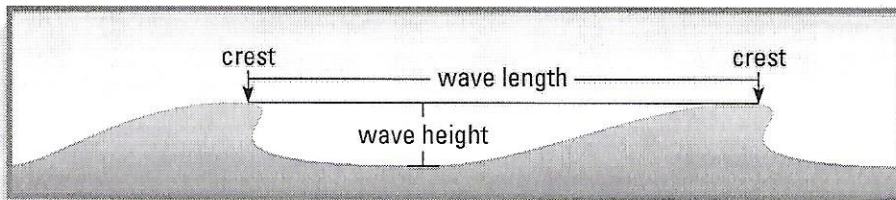


59. **POPULATION OF OREGON** From 1990 to 1996 the population of Oregon increased by about 60,300 people per year. In 1996 the population was about 3,204,000. Write a linear model for the population  $P$  of Oregon from 1990 to 1996. Let  $t$  represent the number of years since 1990. Then estimate the population of Oregon in 2014. ▶ Source: *Statistical Abstract of the United States*
60. **AIRFARE** In 1998 an airline offered a special airfare of \$201 to fly from Cincinnati to Washington, D.C., a distance of 386 miles. Special airfares offered for longer flights increased by about \$.138 per mile. Write a linear model for the special airfares  $a$  based on the total number of miles  $t$  of the flight. Estimate the airfare offered for a flight from Boston to Sacramento, a distance of 2629 miles.
61. **BOOKSTORE SALES** In 1990 retail sales at bookstores were about \$7.4 billion. In 1997 retail sales at bookstores were about \$11.8 billion. Write a linear model for retail sales  $s$  (in billions of dollars) at bookstores from 1990 through 1997. Let  $t$  represent the number of years since 1990. Then estimate the retail sales at bookstores in 2012. ▶ Source: American Booksellers Association
62. **SCIENCE CONNECTION** The velocity of sound in dry air increases as the temperature increases. At  $40^{\circ}\text{C}$  sound travels at a rate of about 355 meters per second. At  $49^{\circ}\text{C}$  it travels at a rate of about 360 meters per second. Write a linear model for the velocity  $v$  (in meters per second) of sound based on the temperature  $T$  (in degrees Celsius). Then estimate the velocity of sound at  $60^{\circ}\text{C}$ . ▶ Source: *CRC Handbook of Chemistry and Physics*
63. **BREAKING WAVES** The height  $h$  (in feet) at which a wave breaks varies directly with the wave length  $l$  (in feet), which is the distance from the crest of one wave to the crest of the next. A wave that breaks at a height of 4 feet has a wave length of 28 feet. Write a linear model that gives  $h$  as a function of  $l$ . Then estimate the wave length of a wave that breaks at a height of 5.5 feet. ▶ Source: Rhode Island Sea Grant



**HAILSTONES** The largest hailstone ever recorded fell at Coffeyville, Kansas. It weighed 1.67 pounds and had a radius of about 2.75 inches.

64. **DANCING** The number  $C$  of calories a person burns performing an activity varies directly with the time  $t$  (in minutes) the person spends performing the activity. A 160 pound person can burn 73 Calories by dancing for 20 minutes. Write a linear model that gives  $C$  as a function of  $t$ . Then estimate how long a 160 pound person should dance to burn 438 Calories. ▶ Source: *Health Journal*
65. **HAILSTONES** Hailstones are formed when frozen raindrops are caught in updrafts and carried into high clouds containing water droplets. As a rule of thumb, the radius  $r$  (in inches) of a hailstone varies directly with the time  $t$  (in seconds) that the hailstone is in a high cloud. After a hailstone has been in a high cloud for 60 seconds, its radius is 0.25 inch. Write a linear model that gives  $r$  as a function of  $t$ . Then estimate how long a hailstone was in a high cloud if its radius measures 2.75 inches. ▶ Source: National Oceanic and Atmospheric Administration
66. **GEOMETRY CONNECTION** When the length of a rectangle is fixed, the area  $A$  (in square inches) of the rectangle varies directly with its width  $w$  (in inches). When the width of a particular rectangle is 12 inches, its area is 36 square inches. Write an equation that gives  $A$  as a function of  $w$ . Then find  $A$  when  $w$  is 7.5 inches.